



Economic Growth in the EU: Eco-Social Aspects

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Abstract

Economic policy is always bound to simultaneously pursuing multiple goals. In the framework of the European union, several benchmarks are set to reflect on meeting three main targets – maintaining economic growth accompanied by environmental and social sustainability which are the aspects of evaluating socio-economic performance beyond GDP as proposed by Stiglitz Report. In this paper, we construct augmented indicator of economic performance by first decoupling economic growth from the ecological and social development assessing the individual performance of each of the two dimensions by means of data envelopment analysis. Subsequently, we put those together and arrive thus at a composite indicator of social welfare. The results of technical, environmental, and social sub-models reveal high relative performance levels of advanced European countries. Equally, the figures testify to the lagging behind of the new Member states, above all, with respect to their social dimension. The findings achieved may serve as a theoretical background for decision-making processes.

Keywords: eco-efficiency, data envelopment analysis, SBM model, optimization, social welfare.

Introduction

There has recently been a lot of lively discussion about the measurement of social welfare beyond GDP. In this context, *Stiglitz Report* (Stiglitz et al., 2009) can be viewed as a summation of the earlier efforts to meet the needs and challenges involved. Besides economic indicators which have to be taken

into account in assessing welfare, there have been increasingly prominent environmental and social ones adding further important dimensions to reckon with.

It has been increasingly often the case that the practice of economic policy will be facing a demand for meeting multiple, at times “incompatible” goals. By way of example, one

might refer to the requirements of the *Strategy Europe 2020* that establishes benchmarks for social and environmental dimensions under the conditions of steady economic growth. Given this, theoretical support for decision making processes cannot proceed any more from merely proportional indicators related to the objectives that may necessitate conflicting actions.

In this paper, we focus on the environmental aspects and social dimensions of the economic growth. The method of evaluating an individual country's performance – data envelopment analysis (DEA) – we have chosen to employ a simultaneous assessment of economic (technical), environmental, and social dimensions. The DEA method allows one to get around certain shortcomings of parametric methods, namely those of dealing just with single output in a production function and a need for prices of inputs and outputs as aggregating weights.

We proceed as follows. In Section 2, we concern ourselves with the theoretical definitions of the concept of efficiency. Further, there follows the description of the measurement method as an application of linear programming, the SBM model gets herein our particular attention. This section also outlines the strategy of modeling. Section 3 dwells on the results of and comments on the actual empirical analysis, while the conclusions in Section 4 summarize the main achievements.

Measuring Efficiency

Concept of Efficiency

The concept of efficiency is quite intuitive. Purely technical efficiency refers to the way of transforming inputs into desirable outputs, e.g., such as GDP. The concept in question may also be adopted to evaluate other types of transformation which take place alongside a purely technical production process. Thus, the production of GDP can equally be viewed as involving other inputs

related to other than those found within technical sphere. In this context, the environmental and social ones have become of most interest and significance in the current welfare discourse. The efficiency of transformation processes can be evaluated by setting outputs against the inputs employed. Data envelopment analysis manages to circumvent some difficulties linked to the absence of aggregating weights needed to sum up inputs or outputs which could be measured in different units. Thus, one obtains a measure for assessing efficiency by relating virtual outputs to virtual inputs employed. This approach is applicable across a variety of settings.

We seek to carry out the evaluation of the overall “social welfare” efficiency by decoupling economic performance and social well-being. Within social well-being, we further differentiate between its environmental and social aspects. The separate “eco” dimension refers to environmental damage resulting from economic activity which cannot be disregarded in assessing the overall welfare. The concept of eco-efficiency emerges, then, as the outcome of the heightened awareness of the raw fact of life that economic values are produced within the subsystem of ecosphere, therefore, they cannot be attributed a value just of their own. Likewise, “social” efficiency attempts to evaluate the social effects of the burgeoning production of economic value, which, unfortunately, often goes hand in hand with income inequality and heightened crime levels, on the one hand, yet availability and accessibility of a better health care and education, on the other hand. So then, the indicators of social dimension can be construed as inputs into transformation process resulting in the production of economic value (GDP).

We thus obtain three efficiency measures for assessing technical, environmental, and social dimensions of social welfare. In Pareto – Koopmans interpretation borrowed from the production theory, eco-efficiency and social efficiency will mean the production of

certain amount of outputs using certain amount of inputs with no possibility of increasing any desirable output or decreasing any undesirable output while keeping inputs fixed.

Measurement of Eco- and Social Efficiency

The above-mentioned considerations need to be operationalized. To begin with, measurement of efficiency should be introduced. There are several approaches

leading to identical evaluation in the form of a linear program. To follow one of them, let's organize the data and give some definitions.

Economic subjects under examination are called DMUs (Decision Making Units) to reflect their independent economic behavior. Let us assume to have n DMUs transforming m inputs into s desirable outputs. Inputs are organized in the matrix X , element x_{ij} meaning amount of input i used by DMU j , and the similar way in the output matrix Y .

$$X = \begin{bmatrix} x_{11} & x_{12} & \dots & x_{1n} \\ x_{21} & x_{22} & \dots & x_{2n} \\ \cdot & \cdot & \dots & \cdot \\ x_{m1} & x_{m2} & \dots & x_{mn} \end{bmatrix}, Y = \begin{bmatrix} y_{11} & y_{12} & \dots & y_{1n} \\ y_{21} & y_{22} & \dots & y_{2n} \\ \cdot & \cdot & \dots & \cdot \\ y_{s1} & y_{s2} & \dots & y_{sn} \end{bmatrix}$$

To assess technical efficiency, the general formula can be used:

$efficiency = \frac{outputs}{inputs}$	(2.2.1)
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In classical DEA, every DMU aggregates its inputs and outputs by means of individually set weights (\mathbf{v} for inputs and $\mathbf{\mu}$ for outputs) so as the ratio 2.2.1 is maximized. In order to avoid unboundedness of maximization

problem, the constraint is imposed so that normalized efficiency cannot exceed the unit which also holds in case of using the weights of DMU under consideration (denoted DMU_0) for any other $n-1$ DMUs. Formally:

max	$h_0(\mathbf{\mu}, \mathbf{v}) = \frac{\sum_{r=1}^s y_{r0} \mu_r}{\sum_{i=1}^m x_{i0} v_i}$		(2.2.2)
s.t.	$\frac{\sum_{r=1}^s y_{rj} \mu_r}{\sum_{i=1}^m x_{ij} v_i} \leq 1$	$(j = 1, 2, \dots, n)$	(2.2.3)
	$u_r \geq 0$	$(r = 1, 2, \dots, s)$	
	$v_i \geq 0$	$(i = 1, 2, \dots, m)$	

The fractional program can be transformed into the linear one called CCR model (proposed by Charnes et al, 1978) which was

first to evaluate performance in a non-parametric way.

The basic model has been improved and modified in many ways since then. The slack-based model (SBM) by Tone is one of the powerful developments enabling the capture of all sources of inefficiency. The objective function has two important properties:

- unit invariance
- monotonicity

A function $\rho = \frac{1 - \frac{1}{m} \sum_{i=1}^m s_i^- / x_{i0}}{1 + \frac{1}{s} \sum_{r=1}^s s_r^+ / y_{r0}}$ meets the requirements of the both, moreover, it can be

shown

that $0 < \rho \leq 1$ (Cooper et al, 2007, p.100). The evaluation of efficiency takes the form of a fractional program (SBM):

\min_{λ, s^+, s^-}	$\rho = \frac{1 - \frac{1}{m} \sum_{i=1}^m s_i^- / x_{i0}}{1 + \frac{1}{s} \sum_{r=1}^s s_r^+ / y_{r0}}$	(2.2.4)
s.t.	$\mathbf{x}_0 = X\lambda + \mathbf{s}^-$	
	$\mathbf{y}_0 = Y\lambda - \mathbf{s}^+$	
	$\lambda \geq 0, \mathbf{s}^- \geq 0, \mathbf{s}^+ \geq 0.$	

Using substitution $t = \frac{1}{1 + \frac{1}{s} \sum_{r=1}^s s_r^+ / y_{r0}}$ one can obtain a linear program:

(SBMt) $\min_{t, \lambda, s^+, s^-}$	$\tau = t - \frac{1}{m} \sum_{i=1}^m t s_i^- / x_{i0}$	(2.2.5)
s.t.	$\mathbf{x}_0 = X\lambda + \mathbf{s}^-$	
	$\mathbf{y}_0 = Y\lambda - \mathbf{s}^+$	
	$\lambda \geq 0, \mathbf{s}^- \geq 0, \mathbf{s}^+ \geq 0, t > 0$	

Setting $t\mathbf{s}^- = \mathbf{S}^-$, $t\mathbf{s}^+ = \mathbf{S}^+$, and $t\lambda = \mathbf{\Lambda}$, SBMt is converted into

$(SBMt)$ min	$\tau = t - \frac{1}{m} \sum_{i=1}^m S_i^- / x_{i0}$		(2.2.6)
s.t.	$t\mathbf{x}_0 = X\Lambda + \mathbf{S}^-$		
	$t\mathbf{y}_0 = Y\Lambda - \mathbf{S}^+$		
	$\Lambda \geq 0, \mathbf{S}^- \geq 0, \mathbf{S}^+ \geq 0, t > 0.$		

The dual linear program associated with *SBMt* is

max $\xi, \mathbf{v}, \mathbf{u}$	ξ		(2.2.7)
s.t.	$\xi + \mathbf{v}\mathbf{x}_0 - \mathbf{u}\mathbf{y}_0 = 1$		
	$-\mathbf{v}X + \mathbf{u}Y \leq \mathbf{0}$		
	$\mathbf{u} \geq \frac{\xi}{s} [1/\mathbf{y}_0]$		

The first constraint enables the rewriting of the objective function as $\max \mathbf{v}\mathbf{x}_0 - \mathbf{u}\mathbf{y}_0$ with the last constraint for \mathbf{u} :

$$\mathbf{u} \geq \frac{1 - \mathbf{v}\mathbf{x}_0 + \mathbf{u}\mathbf{y}_0}{s} [1/\mathbf{y}_0]$$

After solving *SBMt* formulated by 2.2.6 or 2.2.7, one can go back to $\mathbf{s}^{0+}, \mathbf{s}^{0-}, \lambda^0$ as optimal solutions of *SBM* and determine ρ^0 for DMU₀. Efficient DMUs will have values of ρ equal

unit. Inefficient ones will have $\rho < 1$ due to positive slack variables $\mathbf{s}^{0+}, \mathbf{s}^{0-}$ which express deviation from the frontier or “potential”. Projections to the frontier are thus given by

$$\begin{aligned} \hat{\mathbf{x}}_0 &\Leftarrow \mathbf{x}_0 - \mathbf{s}^{-0} \\ \hat{\mathbf{y}}_0 &\Leftarrow \mathbf{y}_0 + \mathbf{s}^{+0} \end{aligned}$$

Indexes of variables $\lambda_j > 0$ constitute the reference set R_0 (efficiency frontier), every frontier point $(\hat{\mathbf{x}}_0^*, \hat{\mathbf{y}}_0^*)$ being positive linear

combination of the other elements of the reference set:

$$\begin{aligned} \hat{\mathbf{x}}_0 &= \sum_{j \in R_0} \mathbf{x}_j \lambda_j \\ \hat{\mathbf{y}}_0 &= \sum_{j \in R_0} \mathbf{y}_j \lambda_j \end{aligned}$$

It is obvious from the construction of ρ that it takes into account all the sources of inefficiency and therefore $\rho_{SBM} \leq h_{CCR}$. *SBM* efficient DMUs are also *CCR* efficient but not the other way round. It is possible to give the model an input or output orientation in order to reflect preferences and feasibility of a

given policy. Input orientation is carried out by omitting output *slacks* in (2.2.4):

min	$\rho = 1 - \frac{1}{m} \sum_{i=1}^m s_i^- / x_{i0}$		(2.2.8)
s.t.	$\mathbf{x}_0 = X\lambda + \mathbf{s}^-$		
	$\mathbf{y}_0 = Y\lambda - \mathbf{s}^+$		
	$\lambda \geq 0, \mathbf{s}^- \geq 0, \mathbf{s}^+ \geq 0$		

while output orientation (*SBM-O*) is achieved in a similar way by omitting input slacks:

min	$\rho = \frac{1}{1 + \frac{1}{s} \sum_{r=1}^s s_r^+ / y_{r0}}$		(2.2.9)
s.t.	$\mathbf{x}_0 = X\lambda + \mathbf{s}^-$		
	$\mathbf{y}_0 = Y\lambda - \mathbf{s}^+$		
	$\lambda \geq 0, \mathbf{s}^- \geq 0, \mathbf{s}^+ \geq 0$		

Returns to scale might cause significant differences in case of evaluating efficiencies of the DMUs showing considerable range of size. The question of optimal scale and scale efficiency arises. The DEA programs considered so far have assessed constant returns to scale (CRS) efficiency. As proposed in Banker et al. (1984), one can impose the assumption of variable returns to scale (VRS) by adding constraint on λ in the form of $\mathbf{e}^T \lambda = 1$ to the primal problem.

Once the measure of efficiency has been defined, one can set out to evaluate efficiencies in the earlier indicated three dimensions. Individual European countries will be considered as 28 DMUs. As the concept encompasses all the three dimensions, it is but natural to view evaluation as consisting of three separate parts corresponding to economic, "ecological" as well as "social" legs of performance. Now the economic performance comfortably lends itself to being evaluated under the classical approach to technical efficiency as outlined above. The remaining two dimensions can also be assessed by means of employment of an SBM, with GDP acting as an output though

produced by using different types of inputs. There is no way to avoid undesirable outputs in transformation processes and these are to be taken into account in performance assessment. We suggest modeling undesirable outputs as inputs, which is in line with the work of Korhonen and Luptáčík (2004), where such specification is justified along with the assumption of *strong disposability* of outputs. Input orientation of our models reflects the objective of inputs'

improvement (or, put differently, reduction of undesirable outputs) rather than the ambition of producing more economic value. So, the model denoted as *tech* gives values of technical efficiency and evaluates the use of capital and labor for producing output, the model *eco* provides information on the efficient (i.e., the least possible) "use" of emissions, and the *soc* model serves to describe the use of social "inputs". Our modeling follows a "pure ecological efficiency" approach suggested by Kuosmanen and Kortelainen (2005). Each model gives values describing one of the three dimensions. To obtain the overall indicator, the three values have to be

combined in a composite model. Such model is constructed by taking *tech*, *eco*, and *soc* scores as outputs for the composite output oriented model, inputs being equal unit. The resulting *SW* score could be seen as a measure of social welfare.

Empirical Analysis

Data and Models Employed

As far as the empirical analysis is concerned, data availability has been the main determining factor for selecting and including 28 European countries to stand for DMUs. For *tech* model, there are two standard inputs – capital stock and labor to produce desirable output (GDP in PPS). Environmental damages are represented by emissions measured in physical units. Eurostat database provides measures of SOx,

NOx, non-methane organic gases, NH₃, and greenhouse gases emissions (GHG) as well. All of them have been involved in the computations. For *soc* model, we used selected indicators describing the quality of life: HY – healthy life years (transformed by deducting from 80 to obtain higher values for poor performance), UN – unemployment, POV – number of persons at risk of poverty, and CR – crimes per 1000 citizens.

In Table 1, models employed are shown as well as inputs and outputs used in computation. SBM models are given “-C” and “-V” indications of constant and variable returns to scale respectively, and the input /output orientation of the models is indicated by “-I /-O”. As our dataset comprises economies of considerable variety of size, we assumed various returns to scale.

Table 1: Overview of the models employed

model	type	variables					
		inputs			outputs		
<i>tech</i>	SBM-I-V	K	L				Y
<i>eco</i>	SBM-I-V	SOX	NOX	NH ₃	n_CH4	GHG	Y
<i>soc</i>	SBM-I-V	HY	UN	POV	CR		Y
<i>SW</i>	SBM-O-C	1					score <i>tech</i> score <i>eco</i> score <i>soc</i>

Results

As Table 1 exhibits, four DEA models – *tech*, *eco*, *soc*, and the composite *SW* – have been computed. The models offer the following picture of social welfare efficiency (*SW*-efficiency) of the European countries (Table 2).

As it is readily seen, one can speak of five *SW*-effective countries that make up a *SW*-efficiency frontier: Germany, France, Malta, the United Kingdom, and Norway. They are also efficient in all the three components, which is obvious from the scores equal unit. Italy and the Netherlands find themselves

quite near the frontier, both losing score in the *tech* part. Romania and Bulgaria end up at the opposite, deficient, end. In-between, you recognize the remaining European countries, the more advanced Western economies gaining higher scores. Two figures might look a bit puzzling – poor Finland’s overall score and Romania’s *soc* efficiency of 1. Yet a closer look at the results of the computation and model specification account for the deceptive inconsistency. The thing is that each of the three dimensions can be examined separately so as to identify the sources of inefficiency. This is enabled by the decomposition based on expression 2.2.8.

Table 2: Tech, eco, soc, and SW scores

DMU	<i>tech</i>	<i>eco</i>	<i>soc</i>	<i>SW</i>
Belgium	1	0,622	0,601	0,702
Bulgaria	0,549	0,223	0,696	0,387
Czech Republic	0,606	0,326	1	0,525
Denmark	1	0,559	0,626	0,684
Germany	1	1	1	1
Estonia	0,676	0,244	0,622	0,417
Ireland	0,935	0,529	0,770	0,704
Greece	0,709	0,363	0,782	0,552
Spain	0,879	0,707	0,716	0,760
France	1	1	1	1
Italy	0,930	1	1	0,975
Cyprus	1	0,536	1	0,776
Latvia	0,607	1	0,516	0,654
Lithuania	0,718	0,305	0,595	0,472
Hungary	0,643	0,403	0,597	0,525
Malta	1	1	1	1
Netherlands	0,936	1	1	0,978
Austria	0,825	0,617	0,780	0,729
Poland	0,805	0,321	0,781	0,532
Portugal	0,751	0,466	0,652	0,599
Romania	0,561	0,229	1	0,419
Slovenia	0,719	0,505	0,747	0,637
Slovakia	0,729	0,440	1,000	0,646
Finland	0,944	0,407	0,617	0,584
Sweden	0,861	0,769	1	0,867
United Kingdom	1	1	1	1
Norway	1	1	1	1
Switzerland	0,864	1	0,754	0,861

A closer look into the particulars of the inefficiency sources is capable of revealing the decomposition of the efficiency indicator. The objective function of *SBM-O* expressed by 2.2.8 is constructed to penalize inefficiencies by aggregated output slacks relative to corresponding output: $\frac{1}{s} \sum_{r=1}^s s_r^+ / y_{r0}$. So one can consider ratios s_r^+ / sy_{r0} , $r = 1 \dots s$ as the contribution of the output r to the total penalty in *SW* output-oriented model. Thus, one can compare input inefficiencies (dimensions) as to their relative size. Table 3

shows the decomposition of the *SW* scores of the selected countries.

For *SW*-efficient countries like Germany, there is obviously no room for improvement. *SW*-inefficient countries show no clear-cut patterns regarding sources of inefficiency, some similarities, though, are discernible. Belgium and Denmark are proportionally losing points in *eco* and *soc* dimensions, while being technically efficient. All inefficient countries feature most of *SW* inefficiency coming from the ecological component.

Table 3: Decomposition of *SW* scores

	Score	inefficiency		
		<i>tech</i>	<i>eco</i>	<i>soc</i>
Belgium	0,702	0	0,203	0,222
Bulgaria	0,387	0,274	1,164	0,145
Czech Republic	0,525	0,217	0,689	0
Denmark	0,684	0	0,262	0,199
Germany	1	0	0	0
Spain	0,760	0,046	0,138	0,132
Italy	0,975	0,025	0	0
Lithuania	0,472	0,131	0,761	0,227
Hungary	0,525	0,185	0,494	0,225
Netherlands	0,978	0,023	0	0
Austria	0,729	0,071	0,207	0,094
Poland	0,532	0,081	0,705	0,094
Portugal	0,599	0,111	0,381	0,178
Romania	0,419	0,261	1,124	0
Slovenia	0,637	0,130	0,327	0,113
Slovakia	0,646	0,124	0,424	0,000
Finland	0,584	0,020	0,487	0,207
Norway	1	0	0	0
Switzerland	0,861	0,053	0	0,109

It is possible to go into more detail exploring the individual dimensions by the decomposition of the scores obtained by input-oriented sub-models. The term $\frac{1}{m} \sum_{i=1}^m s_i^- / x_{i0}$ in the objective function penalizes excessive inputs so every component $i=1, \dots, m$ can be viewed as the

contribution of i -th input to overall penalty. In the tech part, one may distinguish a pattern of excessive labor use, which is the case of Slovakia, Slovenia, Poland, Portugal, and Lithuania. On the other hand, some over-capitalization characterizes Italy and Spain (Table 4).

	inefficiency			
	Score	K	L	Y
Bulgaria	0,549	0,137	0,314	0
Czech Republic	0,606	0,138	0,256	0
Germany	1	0	0	0
Spain	0,879	0,114	0,007	0
France	1	0	0	0
Italy	0,930	0,070	0	0
Lithuania	0,718	0,069	0,213	0
Hungary	0,643	0,094	0,263	0
Austria	0,825	0,094	0,081	0
Poland	0,805	0	0,195	0
Portugal	0,751	0,004	0,245	0
Romania	0,561	0,141	0,299	0
Slovakia	0,729	0,048	0,223	0
Finland	0,944	0	0,056	0
Sweden	0,861	0,066	0,073	0

Table 4: Decomposition of *tech* scores

The ecological component is examined identically, with the results shown in Table 5. There are seven eco-efficient Western economies – Germany, Italy, France, the Netherlands, Malta, the United Kingdom, Norway, and Switzerland, which, obviously, display no sources of inefficiency in their respective inputs. As for the other countries,

it is possible to point to conceivable sources of reasonable improvement. In this sense, as quite a surprise there comes Finland's *eco* score of 0,406, also to indicate avenues of possible improvement with respect to all types of emission, excluding NH₃. Yet, any pattern in the structure of inefficiencies within this dimension is hardly identifiable.

Table 5: Decomposition of *eco* scores

	Score	Input Excess Inefficiency					Shortage
		SOX	NOX	NH3	n_CH4	GHG	
Belgium	0,62159	0,15528	0,11022	0,00111	0,01802	0,09379	0
Czech Republic	0,32614	0,18662	0,15241	0,07259	0,11745	0,14479	0
Denmark	0,55946	0,04520	0,12384	0,10098	0,07771	0,09282	0
Germany	1	0	0	0	0	0	0
Italy	1	0	0	0	0	0	0
Cyprus	0,53588	0,12487	0,07973	0,05460	0,09700	0,10792	0
Lithuania	0,30453	0,15411	0,13977	0,13609	0,15956	0,10595	0
Hungary	0,40286	0,13422	0,14409	0,09664	0,11114	0,11106	0
Austria	0,61696	0,06874	0,12527	0,02221	0,08107	0,08575	0
Romania	0,22867	0,19352	0,15099	0,13527	0,16662	0,12493	0
Slovenia	0,50479	0,03307	0,12685	0,10035	0,12751	0,10742	0
Slovakia	0,44006	0,17237	0,13214	0,03208	0,10575	0,11760	0
Finland	0,40658	0,16870	0,14857	0,02966	0,12236	0,12414	0
Sweden	0,76869	0,08605	0,04356	0	0,08394	0,01776	0

Finally, we turn to the decomposition of the social component of *SW* score to find out that, as Table 6 shows, some similarities among the countries do exist. The eleven countries, whose unit *soc* scores can be seen in Table 2, proved to be *soc* efficient. Quite

unexpected was unit *soc* score of Romania that has benefited most from the low unemployment rate (7,6%) and the low value of crime indicator, though reporting the second worst “at-risk-of-poverty” data.

Table 6: Decomposition of *soc* scores

	Score	Input Excess Inefficiency				Shortage Y
		HY	UN	POV	CR	
Belgium	0,60052	0,08923	0,13783	0,06821	0,10421	0
Bulgaria	0,69627	0	0,08967	0,12599	0,08807	0
Czech Republic	1	0	0	0	0	0
Denmark	0,62610	0,10951	0,13158	0,04645	0,08637	0
Germany	1	0	0	0	0	0
Greece	0,78249	0	0,11309	0,03993	0,06450	0
Spain	0,71588	0,06753	0,14948	0,02018	0,04694	0
Italy	1	0	0	0	0	0
Latvia	0,51562	0,09605	0,16433	0,08859	0,13542	0
Lithuania	0,59479	0,05783	0,15922	0,06588	0,12228	0
Hungary	0,59686	0,08291	0,10070	0,04440	0,17513	0
Austria	0,78002	0,11894	0,04596	0,02414	0,03094	0
Poland	0,78070	0,06874	0,06257	0,02913	0,05887	0
Portugal	0,65217	0,08027	0,10182	0,00705	0,15870	0
Romania	1	0	0	0	0	0
Slovenia	0,74710	0,13886	0,10254	0,01150	0	0
Slovakia	0,99975	0,00011	0,00014	0	0	0
Finland	0,61676	0,13222	0,14412	0,02959	0,07732	0
Switzerland	0,75417	0,08000	0,05172	0,03096	0,08315	0

The surprisingly low *soc* score of Belgium is explicable by one of the highest crime levels of the country. The evaluation of this dimension will, however, require redesigning since the findings seem not to mirror the actual state accurately enough.

Conclusion

To take stock, we have been seeking to demonstrate that DEA modeling can prove a useful tool in identifying the pockets of inefficiency in the appropriately defined framework of relevant inputs and outputs. The SBM model seems particularly effective as, under the variable return to scale assumption, it is capable of capturing all sources of inefficiency. A closer analysis of the results achieved may well prompt a deeper insight into the issue of social and eco-efficiency that will inevitably crop up in

case of pursuing distinct multiple goals of economic policy, e.g., meeting benchmarks defined by *Europe 2020* without compromising steady economic growth.

The exploration of the dataset of the 28 European countries has revealed varying degrees of heterogeneity in their technical, environmental, and social dimensions as well as the sources of respective underperformance. As the results obtained through the employment of the selected VRS model show, five advanced countries - Germany, the UK, Norway, France, and Malta - have proved *SW*-efficient, forming thus the efficiency frontier. Romania and Bulgaria have found themselves at the very bottom of the *SW*-efficiency scale.

The issue, though, still leaves some room for reasonable discussion, e.g., about the

relevance or sufficiency of the indicators chosen, above all, those for measuring the efficiency within the social area. Nevertheless, our belief is that this piece of research may encourage a finer and more responsible approach to sorting out the issue of complex transformation process efficiency evaluation. This said, it is primarily the decomposition of efficiency indicator that policy makers might find a welcome and helpful qualitative tool. Specifically, it fairly comfortably lends itself to the task of identifying major bottlenecks on the way towards growth-oriented performance of national industrial technospheres without, simultaneously, losing sight of further concomitant goals of economic policy pressingly calling for attention and fulfillment.

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